

Package ‘forecTheta’

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Type Package

Title Forecasting Time Series by Theta Models

Version 2.6.2

Author Jose Augusto Fiorucci [aut, cre, cph]
(<https://orcid.org/0000-0002-1201-9089>),
Francisco Louzada [aut, cph] (<https://orcid.org/0000-0001-7815-9554>)

Maintainer Jose Augusto Fiorucci <jafiorucci@gmail.com>

Description Routines for forecasting univariate time series using Theta Models.

License GPL (>= 2)

Encoding UTF-8

Depends R (>= 2.0), forecast, tseries

BugReports <https://github.com/jafiorucci/forecTheta/issues>

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R topics documented:

Cross Validation	2
Error Metric	3
expSmoot	5
forecTheta-Package	6
otm.arxiv	8
Plot	10
Theta Models	11

Index	15
--------------	-----------

Description

This function implements the Generalised Rolling Origin Evaluation of Fioruci et al (2015). Its particular cases include the cross validation methods: Rolling Origin Evaluation and Fixed Origin Evaluation of Tashman(2000).

Usage

```
groe(y, forecFunction, g="sAPE", n1=length(y)-10, m=5,
      H=length(y)-n1, p=1+floor((length(y)-n1)/m), ...)

rolOrig(y, forecFunction, g="sAPE", n1=length(y)-10, ...)

fixOrig(y, forecFunction, g="sAPE", n1=length(y)-10, ...)
```

Arguments

<code>y</code>	Object of time series class or a vector
<code>forecFunction</code>	A forecasting method as one object of the forecast class of forecast package.
<code>g</code>	The prediction error type of <code>errorMetric</code> function. The possible values are "sAPE", "APE", "AE" and "SE".
<code>n1</code>	The index of the first origin element.
<code>m</code>	The number of movements of the origin in each update.
<code>H</code>	The number of predictions forward of each origin.
<code>p</code>	The number of origin updates. Default is the maximum.
<code>...</code>	Additional arguments for <code>forecFunction</code> .

Details

If $m=1$ is computed the Rolling Origin Evaluation. If $m \geq \text{length}(y) - n1$ is computed the Fixed Origin Evaluation.

Value

The sum of the prediction errors.

Note

The `otm.arxiv` function use this function for estimate the theta parameter when the theta argument is NULL. Your computer may go into an infinite looping if you use `forecFunction = otm.arxiv` without specific a numeric value for the theta argument.

Author(s)

Jose Augusto Fiorucci and Francisco Louzada

References

- Fioruci J.A., Pellegrini T.R., Louzada F., Petropoulos F. (2015). *The Optimised Theta Method*. arXiv preprint, arXiv:1503.03529.
- Tashman, L.J. (2000). *Out-of-sample tests of forecasting accuracy: an analysis and review*. International Journal of Forecasting 16 (4), 437–450.

See Also

[forecTheta-package](#), [dotm](#), [otm.arxiv](#)

Examples

```

y1 = 2+ 0.15*(1:20) + rnorm(20,2)
y2 = y1[20]+ 0.3*(1:30) + rnorm(30,2)
y = as.ts(c(y1,y2))

## Rolling Origin Evaluation
rolOrig( y=y, forecFunction = dotm, n1=40)
rolOrig( y=y, forecFunction = expSmoot, n1=40)
rolOrig( y=y, forecFunction = stheta, n1=40)
rolOrig( y=y, forecFunction = otm.arxiv, n1=40, theta=3)

## Fixed Origin Evaluation
fixOrig( y=y, forecFunction = dotm, n1=40)
fixOrig( y=y, forecFunction = expSmoot, n1=40)
fixOrig( y=y, forecFunction = stheta, n1=40)
fixOrig( y=y, forecFunction = otm.arxiv, n1=40, theta=3)

## Generalised Rolling Origin Evaluation with two origin updates.
## Where the first is the 40th element and second is the 45th element
groe( y=y, forecFunction = dotm, m=5, n1=40)
groe( y=y, forecFunction = expSmoot, m=5, n1=40)
groe( y=y, forecFunction = stheta, m=5, n1=40)
groe( y=y, forecFunction = otm.arxiv, m=5, n1=40, theta=3)

```

Error Metric

Error Metric Function

Description

This function implements some of the more used error metrics. These metrics are "sMAPE", "MAPE", "MAE", "MSE" and they respectively versions with median "sMdAPE", "MdAPE", "MdAE", "MdSE".

Usage

```
errorMetric(obs, forec, type="sAPE", statistic="M")
```

Arguments

obs	A vector or a matrix with the real values.
forec	A vector or a matrix with the estimated values.
type	The error type of "sAPE", "APE", "AE" and "SE".
statistic	The statistic to be returned. Use "M" or "Md" for return the mean or median of the errors. If "N" so a vector with all errors will be returned.

Details

The metric sMAPE is obtained using type = "sAPE" and statistic = "M"

The metric sMdAPE is obtained using type = "sAPE" and statistic = "Md"

The metric MAPE is obtained using type = "APE" and statistic = "M"

The metric MdAPE is obtained using type = "APE" and statistic = "Md"

The metric MAE is obtained using type = "AE" and statistic = "M"

The metric MdAE is obtained using codetype = "AE" and statistic = "Md"

The metric MSE is obtained using type = "SE" and statistic = "M"

The metric MdSE is obtained using type = "SE" and statistic = "Md"

Value

If statistic="M" or statistic="Md" it is returned the respectively error metric result. If statistic="N" so is returned a vector with all errors points according to the chosen error type.

Author(s)

Jose Augusto Fiorucci and Francisco Louzada

See Also

[forecTheta-package](#), [groe](#)

Examples

```
#####

y1 = 2+ 0.15*(1:20) + rnorm(20,2)
y2 = y1[20]+ 0.3*(1:30) + rnorm(30,2)
y = as.ts(c(y1,y2))

out <- dotm(y=as.ts(y[1:40]), h=10)

### sMAPE metric
errorMetric(obs=as.ts(y[41:50]), forec=out$mean)
```

```

### sMAPE metric
errorMetric(obs=as.ts(y[41:50]), forec=out$mean, statistic = "Md")

### MASE metric
meanDiff1 = mean(abs(diff(as.ts(y[1:40]), lag = 1)))
errorMetric(obs=as.ts(y[41:50]), forec=out$mean, type = "AE", statistic = "M") / meanDiff1

```

expSmoot

Simple Exponential Smoothing Method

Description

Estimation of Simple Exponential Smoothing Method

Usage

```
expSmoot(y, h=5, ell0=NULL, alpha=NULL, lower = c(-1e+10, 0.1),
upper = c(1e+10, 0.99))
```

Arguments

y	Object of time series class.
h	Number of required forecasting periods.
ell0	The value of ell_0 parameter.
alpha	The value of alpha parameter.
lower	The lower limit of parametric space.
upper	The upper limit of parametric space.

Value

A list containing the elements:

\$y	The original time series.
\$par	The estimated values for (ell , alpha) parameters
\$mean	The forecasting values
\$fitted	A time series element with the fitted points.
\$residuals	A time series element with the residual points.

Author(s)

Jose Augusto Fiorucci, Francisco Louzada and Bao Yiqi

See Also

[forecTheta-package](#), [stheta](#), [dotm](#)

Examples

```
y1 = 2+ 0.15*(1:20) + rnorm(20,2)
y2 = y1[20]+ 0.3*(1:30) + rnorm(30,2)
y = as.ts(c(y1,y2))

expSmoot(y, h=10)
```

forecTheta-Package *Forecasting Time Series by Theta Models*

Description

In this package we implement functions for forecast univariate time series using the several Theta Models (Fiorucci et al, 2015 and 2016) and the Standard Theta Method of Assimakopoulos and Nikolopoulos (2000).

Details

Package: forecTheta
Type: Package
Version: 2.6.2
Date: 2022-11-11
License: GPL (>=2.0)

```
dotm(y, h)
stheta(y, h)
errorMetric(obs, forec, type = "sAPE", statistic = "M")
groef(y, forecFunction = ses, g = "sAPE", n1 = length(y)-10)
```

Author(s)

Jose Augusto Fiorucci, Francisco Louzada
Maintainer: Jose Augusto Fiorucci <jafiorucci@gmail.com>

References

Fiorucci J.A., Pellegrini T.R., Louzada F., Petropoulos F., Koehler, A. (2016). *Models for optimising the theta method and their relationship to state space models*, International Journal of Forecasting, 32 (4), 1151–1161, <doi:10.1016/j.ijforecast.2016.02.005>.

Fioruci J.A., Pellegrini T.R., Louzada F., Petropoulos F. (2015). *The Optimised Theta Method*. arXiv preprint, arXiv:1503.03529.

Assimakopoulos, V. and Nikolopoulos k. (2000). *The theta model: a decomposition approach to forecasting*. International Journal of Forecasting 16, 4, 521–530, <doi:10.1016/S0169-2070(00)00066-2>.

Tashman, L.J. (2000). *Out-of-sample tests of forecasting accuracy: an analysis and review*. International Journal of Forecasting, 16 (4), 437–450, <doi:10.1016/S0169-2070(00)00065-0>.

See Also

[dotm](#), [stheta](#), [otm.arxiv](#), [groe](#), [rolOrig](#), [fixOrig](#), [errorMetric](#)

Examples

```
#####

y1 = 2+ 0.15*(1:20) + rnorm(20)
y2 = y1[20]+ 0.3*(1:30) + rnorm(30)
y = as.ts(c(y1,y2))
out <- dotm(y, h=10)
summary(out)
plot(out)

out <- dotm(y=as.ts(y[1:40]), h=10)
summary(out)
plot(out)

out2 <- stheta(y=as.ts(y[1:40]), h=10)
summary(out2)
plot(out2)

### SMAPE metric
errorMetric(obs=as.ts(y[41:50]), forec=out$mean, type = "sAPE", statistic = "M")
errorMetric(obs=as.ts(y[41:50]), forec=out2$mean, type = "sAPE", statistic = "M")

### sMdAPE metric
errorMetric(obs=as.ts(y[41:50]), forec=out$mean, type = "sAPE", statistic = "Md")
errorMetric(obs=as.ts(y[41:50]), forec=out2$mean, type = "sAPE", statistic = "Md")

### MASE metric
meanDiff1 = mean(abs(diff(as.ts(y[1:40]), lag = 1)))
errorMetric(obs=as.ts(y[41:50]), forec=out$mean, type = "AE", statistic = "M") / meanDiff1
errorMetric(obs=as.ts(y[41:50]), forec=out2$mean, type = "AE", statistic = "M") / meanDiff1

#### cross validation (2 origins)
#groe( y=y, forecFunction = otm.arxiv, m=5, n1=40, p=2, theta=5)
#groe( y=y, forecFunction = stheta, m=5, n1=40, p=2)

#### cross validation (rolling origin evaluation)
#rolOrig( y=y, forecFunction = otm.arxiv, n1=40, theta=5)
#rolOrig( y=y, forecFunction = stheta, n1=40)
```

Description

Functions for forecast univariate time series using the Optimised Theta Method presented in the arxiv paper (Fioruci et al, 2015). If the theta parameter is not specified so the Generalised Rolling Origin Evaluation is used for select the theta value over the thetaList argument.

Usage

```
otm.arxiv( y, h=5, s=NULL, theta=NULL, tLineExtrap=expSmoot, g="sAPE",
  approach="c", n1=NULL, m=NULL, H=NULL, p=NULL,
  thetaList=seq(from=1,to=5,by=0.5), mc.cores=1, ...)
```

Arguments

y	Object of time series class
h	Number of required forecasting periods
s	If TRUE, the multiplicative seasonal decomposition is used. If NULL, quarterly and monthly time series are tested for statistically seasonal behaviour, with 95% of significance. Default is NULL.
theta	The value of theta parameter. If theta = NULL the theta parameter is estimated using the Generalised Rolling Origin Evaluation.
tLineExtrap	A forecasting function for extrapolation the second theta-line. Default is expSmoot.
g	The error type that will be used by groe function for select the theta value in the estimation process. The possibility values for g is "sAPE", "APE", "AE" and "SE". If theta is not NULL the g argument is not used. Default is "sAPE".
approach	The approach set-up for groe parameters (n1, m, H, p). One letter between 'a' to 'h' according to Fioruci et al (2015).
n1	The first origin for Generalised Rolling Origin Evaluation. This argument is not used if theta!=NULL or approach!=NULL.
m	The number of movements of the origin in each step. This argument is not used if theta!=NULL or approach!=NULL.
H	The number of predictions in each step. This argument is not used if theta!=NULL or approach!=NULL.
p	The number of origin updates. This argument is not used if theta!=NULL or approach!=NULL.
thetaList	A vector with the possible values for theta. This argument is not used if theta argument is not NULL.
mc.cores	Number of cores that will be used for estimate the theta parameter. It is not accepted mc.cores>1 on Windows SO.
...	Additional arguments for tLineExtrap.

Details

These functions are fully automatic, you just need to pass your time series. Particular cases are obtained by: If `theta = 1` the `tLineExtrapModel` method is computed; If `theta = 2` so the Standard Theta Method of Assimakopoulos and Nikolopoulos (2000) is computed.

By default (`s=NULL`), the 90% significance seasonal Z-test, used by Assimakopoulos and Nikolopoulos (2000), is applied for quarterly and monthly time series.

Value

An list containing the elements:

<code>\$y</code>	The original time series.
<code>\$mean</code>	A time series element with the forecasting points.
<code>\$fitted</code>	A time series element with the fitted points.
<code>\$residuals</code>	A time series element with the residual points.
<code>\$theta</code>	The estimated theta value.
<code>\$tLineExtrap_par</code>	The estimated parameters of <code>tLineExtrap</code> method.
<code>\$weights</code>	The estimated weights values.

Note

The `thetaM` function is just a particular case of `otm` with `theta=2`.

Author(s)

Jose Augusto Fiorucci, Francisco Louzada

References

Fioruci J.A., Pellegrini T.R., Louzada F., Petropoulos F. (2015). *The Optimised Theta Method*. arXiv preprint, arXiv:1503.03529.

Assimakopoulos, V. and Nikolopoulos k. (2000). *The theta model: a decomposition approach to forecasting*. International Journal of Forecasting 16, 4, 521-530.

See Also

[forecTheta-package](#), [dotm](#), [groe](#)

Examples

```
y1 = 2+ 0.15*(1:20) + rnorm(20,2)
y2 = y1[20]+ 0.3*(1:30) + rnorm(30,2)
y = as.ts(c(y1,y2))

otm.arxiv(y, h=10)
```

```

### running the M3-competition data base by OTM approach (a) ###
#require(Mcomp)
#data(M3)
#
#forec = matrix(NA, nrow=3003, ncol=18)
#obs = matrix(NA, nrow=3003, ncol=18) #matrix of the out-sample values
#
#for(i in 1:3003){
# if(i %% 100 == 0){print(i)}
# x=M3[[i]]$x
# h=M3[[i]]$h
# out = otm.arxiv(x,h,approach='a',tLineExtrap=ses)
# forec[i,1:h] = out$mean
# obs[i,1:h] = M3[[i]]$xx
#}
#
#SAPE = errorMetric(obs, forec, type="SAPE", statistic="N") ## SAPE matrix
#
##### SMAPE results ##
### Yearly
#mean( SAPE[1:645, 1:6] )
### QUARTERLY
#mean( SAPE[646:1401, 1:8] )
### MONTHLY
#mean( SAPE[1402:2829, 1:18] )
### Other
#mean( SAPE[2830:3003, 1:8] )
### ALL
#mean( SAPE, na.rm=TRUE )

```

Plot

Plot forecasts points and prediction intervals for thetaModel objects

Description

Produces a figure of the time series and the forecasts points from Optimised Theta Method.

Usage

```

## S3 method for class 'thetaModel'
plot(x, ylim=NULL, xlim=NULL, ylab=NULL, xlab=NULL, main=NULL, ...)

```

Arguments

x	Object of class “thetaModel”.
ylim	the y limits of the plot.
xlim	the x limits of the plot.
ylab	a label for the y axis.

`xlab` a label for the x axis.
`main` a main title for the plot.
`...` Other plotting parameters passed to `par`.

Value

None. Function produces a plot

Author(s)

Jose A Fiorucci

See Also

[dotm](#), [forecTheta-package](#)

Examples

```
y1 = 2+ 0.15*(1:20) + rnorm(20,2)
y2 = y1[20]+ 0.3*(1:30) + rnorm(30,2)
y = as.ts(c(y1,y2))
out <- dotm(y, h=10)
plot(out)
```

Theta Models

Theta Models

Description

Functions for forecast univariate time series using the Dynamic Optimised Theta Model, Dynamic Standard Theta Model, Optimised Theta Model and Standard Theta Model (Fiorucci et al, 2016). We also provide an implementation for the Standard Theta Method (STheta) of Assimakopoulos and Nikolopoulos (2000).

Usage

```
dotm(y, h=5, level=c(80,90,95), s=NULL, par_ini=c(y[1]/2, 0.5, 2),
     estimation=TRUE, lower=c(-1e+10, 0.1, 1.0), upper=c(1e+10, 0.99, 1e+10),
     opt.method="Nelder-Mead", xreg=NULL)

dstm(y, h=5, level=c(80,90,95), s=NULL, par_ini=c(y[1]/2, 0.5), estimation=TRUE,
     lower=c(-1e+10, 0.1), upper=c(1e+10, 0.99), opt.method="Nelder-Mead", xreg=NULL)

otm(y, h=5, level=c(80,90,95), s=NULL, par_ini=c(y[1]/2, 0.5, 2),
     estimation=TRUE, lower=c(-1e+10, 0.1, 1.0), upper=c(1e+10, 0.99, 1e+10),
     opt.method="Nelder-Mead", xreg=NULL)

stm(y, h=5, level=c(80,90,95), s=NULL, par_ini=c(y[1]/2, 0.5), estimation=TRUE,
```

```
lower=c(-1e+10, 0.1), upper=c(1e+10, 0.99), opt.method="Nelder-Mead", xreg=NULL)

stheta(y, h=5, s=NULL)
```

Arguments

<code>y</code>	Object of time series class.
<code>h</code>	Number of required forecasting periods.
<code>level</code>	Levels for prediction intervals.
<code>s</code>	If TRUE, the multiplicative seasonal decomposition is used. If NULL and <code>frequency(y) >= 4</code> the time series is tested for statistically seasonal behaviour, with 90% of significance. If <code>s='additive'</code> or close zero values been find in the multiplicative decomposition, the additive decomposition is performed hatter than multiplicative. Default is NULL.
<code>par_ini</code>	Vector of initialization for (<code>e11</code> , <code>alpha</code> , <code>theta</code>) parameters.
<code>estimation</code>	If TRUE, the <code>optim()</code> function is consider for compute the minimum square estimator of parameters. If FALSE, the models/methods are computed for <code>par_ini</code> values.
<code>lower</code>	The lower limit of parametric space.
<code>upper</code>	The upper limit of parametric space.
<code>opt.method</code>	The numeric optimisation method for <code>optim()</code> function. Choose one among 'Nelder-Mead', 'L-BFGS-B', 'SANN'.
<code>xreg</code>	A matrix with the regressor variables including the out-of-sample data.

Details

By default (`s=NULL`), the 90% significance seasonal Z-test, used by Assimakopoulos and Nikolopoulos (2000), is applied for quarterly and monthly time series.

For details of each model see Fiorucci et al, 2016. If you are looking for the methods presented in the arXiv paper (Fiorucci et al, 2015), see `otm.arxiv()` function.

Value

An object of `thetaModel` class with one list containing the elements:

<code>\$method</code>	The name of the model/method
<code>\$y</code>	The original time series.
<code>\$s</code>	A binary indication for seasonal decomposition.
<code>type</code>	Classical seasonal decomposition type.
<code>opt.method</code>	The optimisation method used in the <code>optim()</code> function.
<code>\$par</code>	The estimated values for (<code>e11</code> , <code>alpha</code> , <code>theta</code>) parameters
<code>\$weights</code>	The estimated weights values.
<code>\$fitted</code>	A time series element with the fitted points.
<code>\$residuals</code>	A time series element with the residual points.

\$mean	The forecasting values.
\$level	The levels for prediction intervals.
\$lower	Lower limits for prediction intervals.
\$upper	Upper limits for prediction intervals.
\$tests	The p.value of Teraesvirta Neural Network test applied on unseasoned time series and the p.value of Shapiro-Wilk test applied on unseasoned residuals.

Author(s)

Jose Augusto Fiorucci, Francisco Louzada

References

Fiorucci J.A., Pellegrini T.R., Louzada F., Petropoulos F., Koehler, A. (2016). *Models for optimising the theta method and their relationship to state space models*, International Journal of Forecasting, 32 (4), 1151–1161, <doi:10.1016/j.ijforecast.2016.02.005>.

Assimakopoulos, V. and Nikolopoulos k. (2000). *The theta model: a decomposition approach to forecasting*. International Journal of Forecasting 16, 4, 521–530, <doi:10.1016/S0169-2070(00)00066-2>.

See Also

[forecTheta-package, otm. arxiv](#)

Examples

```

y1 = 2+ 0.15*(1:20) + rnorm(20)
y2 = y1[20]+ 0.3*(1:30) + rnorm(30)
y = as.ts(c(y1,y2))
out <- dotm(y, h=10)
summary(out)
plot(out)

#### additive seasonal decomposition ###
x = sin(2*pi*seq(0,9,len=300)) + exp((1:300)/150) + rnorm(mean=0,sd=0.5,n=300)
y = ts(x, frequency=33)
out <- dotm(y, h=50, s='additive')
summary(out)
plot(out)

# #####
# ##### Reproducing the M3 results by DOTM #####
# #####
#
# library(Mcomp)
# data(M3)
#
# forec = matrix(NA, nrow=3003, ncol=18)
# obs = matrix(NA, nrow=3003, ncol=18) #matrix of the out-sample values

```

```

# meanDiff <- rep(1, 3003)
#
# for(i in 1:3003){
#   x=M3[[i]]$x
#   h=M3[[i]]$h
#   out = dotm(x,h,level=NULL)
#   forec[i,1:h] = out$mean
#   obs[i,1:h] = M3[[i]]$xx
#   meanDiff[i] = mean(abs(diff(x, lag = frequency(x))))
# }
#
# ##### SMAPE #####
# SAPE_matrix = errorMetric(obs=obs, forec=forec, type="SAPE", statistic="N")
# #### Yearly ####
# mean( SAPE_matrix[1:645, 1:6] )
# #### QUARTERLY ####
# mean( SAPE_matrix[646:1401, 1:8] )
# #### MONTHLY ####
# mean( SAPE_matrix[1402:2829, 1:18] )
# #### Other ####
# mean( SAPE_matrix[2830:3003, 1:8] )
# #### ALL ####
# mean( SAPE_matrix, na.rm=TRUE )
# #
# ##### MASE #####
# AE_matrix = errorMetric(obs=obs, forec=forec, type="AE", statistic="N")
# ASE_matrix=AE_matrix/meanDiff
# #### Yearly ####
# mean( ASE_matrix[1:645, 1:6] )
# #### QUARTERLY ####
# mean( ASE_matrix[646:1401, 1:8] )
# #### MONTHLY ####
# mean( ASE_matrix[1402:2829, 1:18] )
# #### Other ####
# mean( ASE_matrix[2830:3003, 1:8] )
# #### ALL ####
# mean( ASE_matrix, na.rm=TRUE )
# #####

```

Index

- * **Cross Validation**
 - Cross Validation, 2
 - * **DOTM**
 - Theta Models, 11
 - * **DSTM**
 - Theta Models, 11
 - * **Dynamic Optimised Theta Model**
 - forecTheta-Package, 6
 - * **Fixed Origin Evaluation**
 - Cross Validation, 2
 - * **Generalised Rolling Origin Evaluation**
 - Cross Validation, 2
 - * **MAE**
 - Error Metric, 3
 - * **MSE**
 - Error Metric, 3
 - * **MdAE**
 - Error Metric, 3
 - * **MdSE**
 - Error Metric, 3
 - * **OTM**
 - Theta Models, 11
 - * **Rolling Origin Evaluation**
 - Cross Validation, 2
 - * **STM**
 - Theta Models, 11
 - * **STheta**
 - Theta Models, 11
 - * **Theta Method**
 - forecTheta-Package, 6
 - * **error metric**
 - Error Metric, 3
 - * **otm**
 - otm.arxiv, 8
 - * **plot**
 - Plot, 10
 - * **sMAPE**
 - Error Metric, 3
 - * **sMdAPE**
 - Error Metric, 3
 - * **simple exponential smoothing**
 - expSmoot, 5
 - * **theta-method**
 - otm.arxiv, 8
 - * **thetaM**
 - otm.arxiv, 8
 - * **time series forecasting**
 - forecTheta-Package, 6
 - otm.arxiv, 8
 - Theta Models, 11
- Cross Validation, 2
- dotm, 3, 5, 7, 9, 11
- dotm(Theta Models), 11
- dstm(Theta Models), 11
- Error Metric, 3
- errorMetric, 7
- errorMetric(Error Metric), 3
- expSmoot, 5
- fixOrig, 7
- fixOrig(Cross Validation), 2
- forecTheta(forecTheta-Package), 6
- forecTheta-Package, 6
- forecTheta-package
(forecTheta-Package), 6
- groe, 4, 7, 9
- groe(Cross Validation), 2
- otm(Theta Models), 11
- otm.arxiv, 3, 7, 8, 13
- par, 11
- Plot, 10
- plot.thetaModel(Plot), 10
- rolOrig, 7

`rolOrig`(Cross Validation), [2](#)

`stheta`, [5](#), [7](#)

`stheta`(Theta Models), [11](#)

`stm`(Theta Models), [11](#)

Theta Models, [11](#)